



COMPLEX LUNG MOTION ESTIMATION VIA ADAPTIVE BILATERAL FILTERING OF THE DEFORMATION FIELDS



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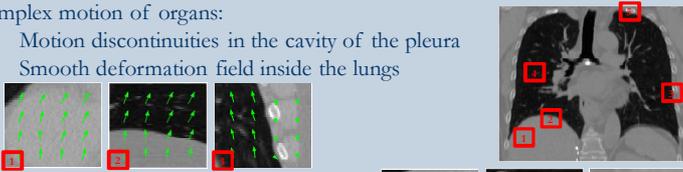
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Aims of this work

- Fast and automated image registration framework for entire thoracic cage
- Modelling plausible lung-specific motion patterns (e.g. sliding motion) without prior segmentation

Challenges of lung registration

- Complex motion of organs:
 - Motion discontinuities in the cavity of the pleura
 - Smooth deformation field inside the lungs



- Various organs/tissue properties:
 - Deformable structures
 - Rigidity of chest bones and spine

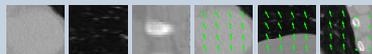


Adaptive filtering of deformation

- We propose an adaptive filtering approach based on bilateral filtering [1] to regularise three different aspects of lung motion: **spatial smoothness**, **local image intensity similarity** and **local deformation field similarity**:

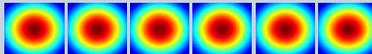
$$u_{new}(x) = \frac{1}{W} \sum_{y \in N} G_x(x, y) G_r(I(x), I(y)) G_u(u(x), u(y)) u_{old}(y)$$

- The exemplar kernels of typical local intensities and deformation field combinations are



- **spatial smoothness: (classic Demon)**

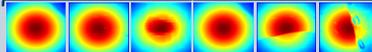
$$G_x(x, y) = \exp\left(-\frac{(x-y)^T \cdot (x-y)}{2\sigma_x^2}\right)$$



- keep smooth deformation across whole image domain
- does not preserve motion discontinuities (e.g. sliding motion)

- **spatial and intensity smoothness:**

$$G_r(I(x), I(y)) = \exp\left(-\frac{(I(x)-I(y))^T \cdot (I(x)-I(y))}{2\sigma_r^2}\right)$$

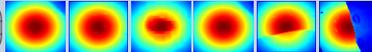


- does not allow for smoothing when neighbourhood intensity values are different

- generates several deformation field discontinuities (depended on σ_r)

- **spatial, intensity and deformation smoothness**

$$G_u(u(x), u(y)) = \exp\left(-\frac{(u(x)-u(y))^T \cdot (u(x)-u(y))}{2\sigma_u^2}\right)$$



- satisfies all presented combinations of local intensity and deformation field changes: smoothness inside lung and sliding at lung boundaries.

Deformable registration

A classic non-linear image registration with a diffusion regularisation [2]:

$$e(u) = \int_{\Omega} (I_R(x) - I_S(x + u(x)))^2 dx + \sum_d \int_{\Omega} \|\nabla u\|^2 dx$$

The diffusion regularisation can be performed as Gaussian smoothing of the deformation field, and therefore solving the Euler-Lagrange equations can be seen as an iterative two-step procedure [2]:

1. Find an update: $du(x) = \nabla Sim(T(x), M(x + u(x)))$
2. Smooth the estimated deformation field: $u_{new}(x) = G * [u_{old}(x), du(x)]$

References

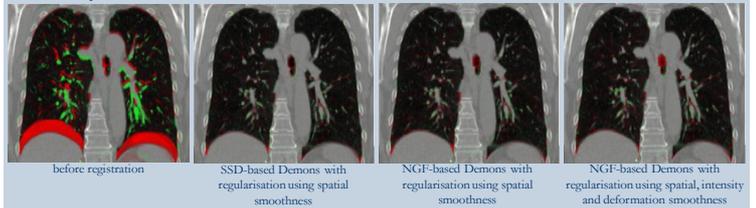
- [1] Tomasi C., et al.: Bilateral filtering for gray and color images. ICCV (1998)
- [2] Vercauteren T., et al.: Diffeomorphic Demons: Efficient non-parametric image registration. NeuroImage (2009)
- [3] Xiao J., et al.: Bilateral filtering-based optical flow estimation with occlusion detection. ECCV (2006)
- [4] Zimmer H., et al.: Optic Flow in Harmony. Int. J. Comput. Vision (2011)
- [5] Segars W.: Development and application of the new dynamic NURBS-based cardiac-torso (NCAT) phantom (2001)
- [6] Amelon R., et al.: A measure for characterizing sliding on lung boundaries, Ann Biomed Eng (2013)

Contributions

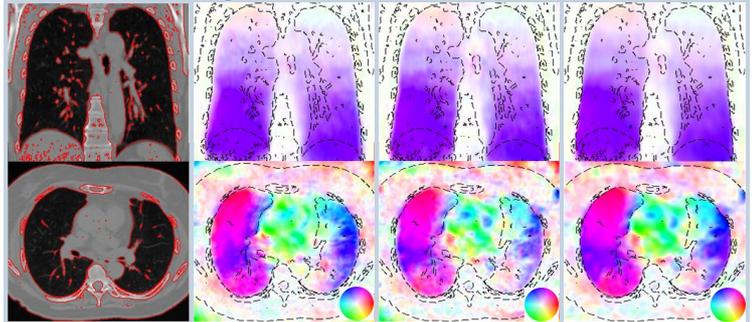
- Novel procedure of deformation fields filtering for deformable registration of lung data based on three basic components: **spatial smoothness**, **local image intensities** and **deformation field similarity**.
- Significant improvement (p-value<0.05) of registration accuracy (TRE=1.95mm) compared to the state-of-the-art methods, and comparable registration accuracy with the approaches that require segmentation for challenging 4D CT data.
- Potentially applicable for other medical image registration problems.

Validation

Intensity Differences for case 5 from Dir-Lab data set



Deformation field magnitudes for case 5 from Dir-Lab data set

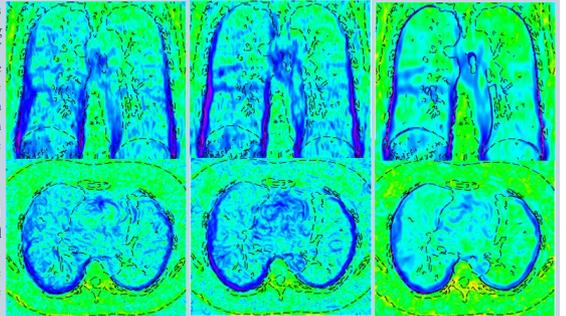


Quantification of sliding motion for case 5 from Dir-Lab data set

To quantify the locations and level of detected sliding motion during evaluation of the presented framework, we use a sliding motion measure (proposed in [6]) which calculates the maximum shear stretch of the estimated deformation field:

$$\gamma_{max} = \frac{\gamma_1 - \gamma_3}{2}$$

where γ_1, γ_3 are the maximal and minimal principal stretch components obtained from eigenvalue decomposition of the deformation field gradients



Discussion and Conclusion

- Bilateral filtering derived from both intensity and deformation field similarity preserves discontinuity between the lungs and the pleura, while satisfying smoothness of the deformation field inside lungs.
- Bilateral filter based only on intensities generates several discontinuities inside and outside the pleural cavity (compare magnitudes of deformation fields depicted by blue arrows, especially close to the lung boundaries).
- The lower target registration error also correlates with visual inspection of the estimated deformation fields.

See more: Papież et al. MICCAI 2013, Papież et al. Medical Image Analysis 2014



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